SCIENTIFIC COMPUTING AND IMAGING

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Advanced Visualization of Vector Field Data

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Research Topics

- Detection of critical points (B Field and velocity).
- Tracking of critical points (B Field and velocity).
- Detection of closed field lines (B Field only).

• Tasked for completion at one per year.

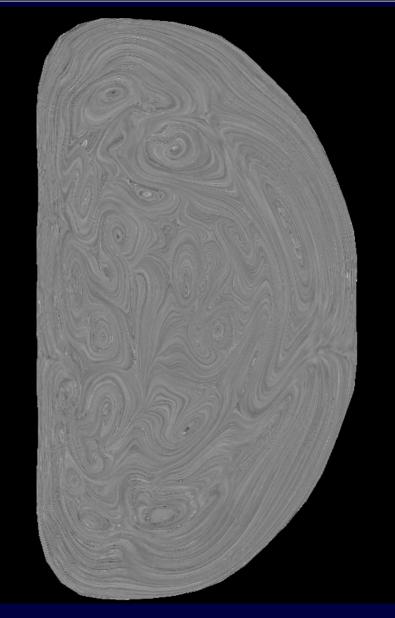




LIC - Line integral Convolution

Captures the 2D flow orientation.

Does not show direction or magnitude.

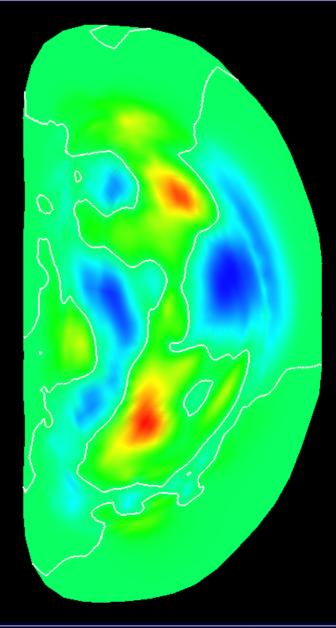






Color mapping shows the flow into (red) and out of blue) the plane.

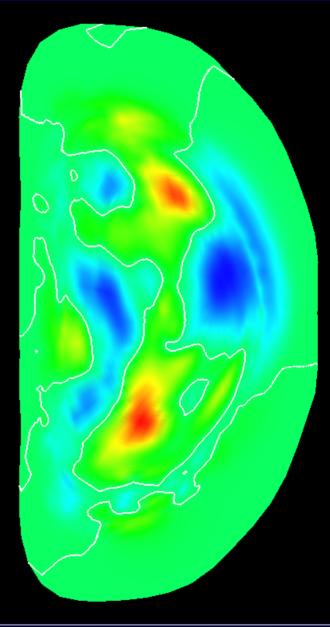
White contours are locations where the flow is solely in the plane.







Combination - late in the simulation difficult to gather information.



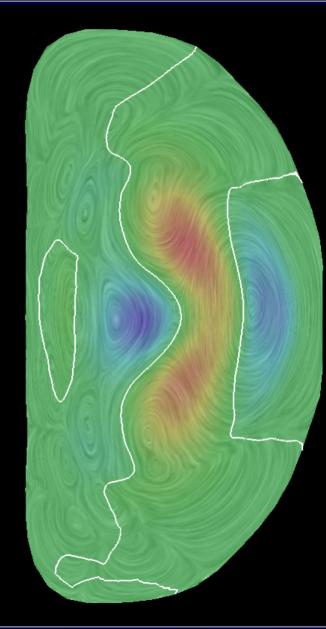




LIC - Line Integral Convolution in the plane shows the swirling nature of the flow.

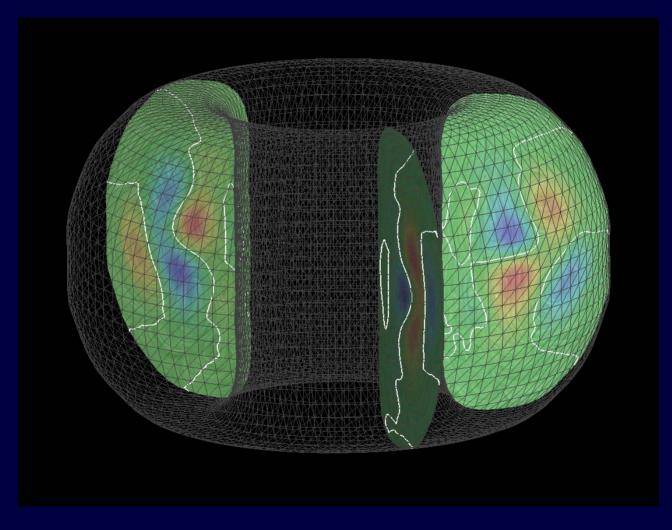
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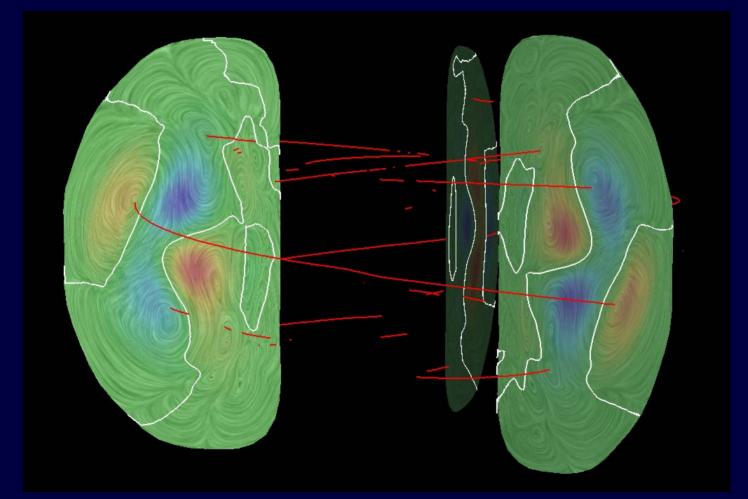








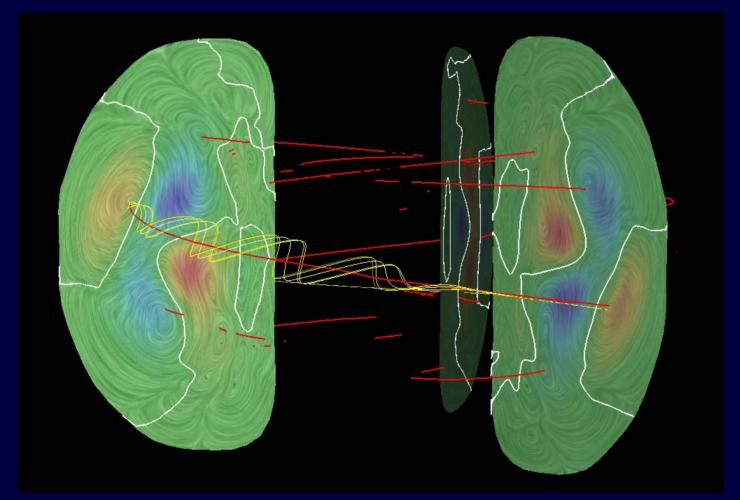
Calculation of vortex cores.







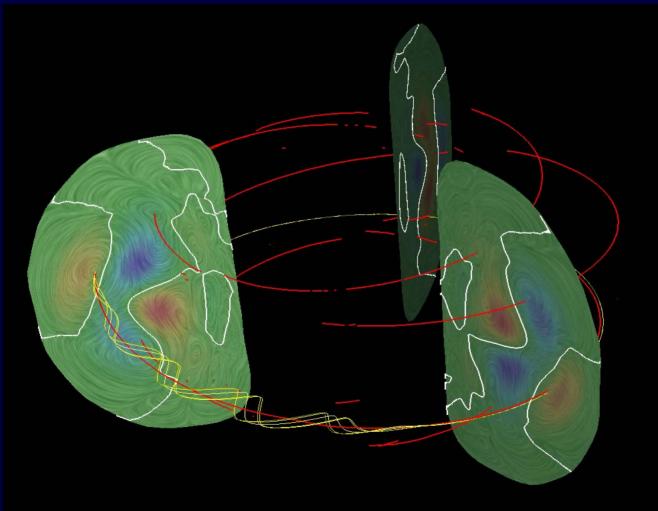
Calculation of vortex cores with streamlines.







Calculation of vortex cores with streamlines.

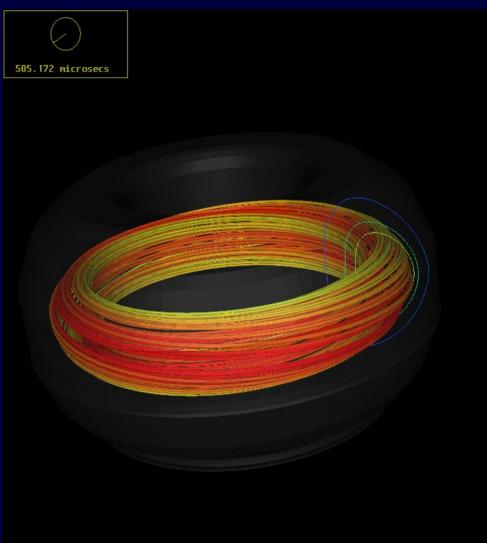






Tracing of fieldlines to create a Poincare plot.

How to seed for the fieldlines?







Tracing of fieldlines to create a Poincare plot.

Currently, investigating whether it is possible to use the temperature profile changes for seeding field lines.

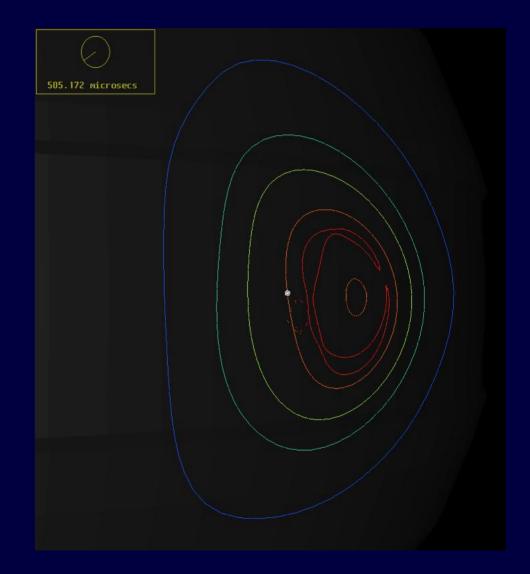
QuickTime™ and a YUV420 codec decompressor are needed to see this picture.

Possible for NIMROD questionable in general.



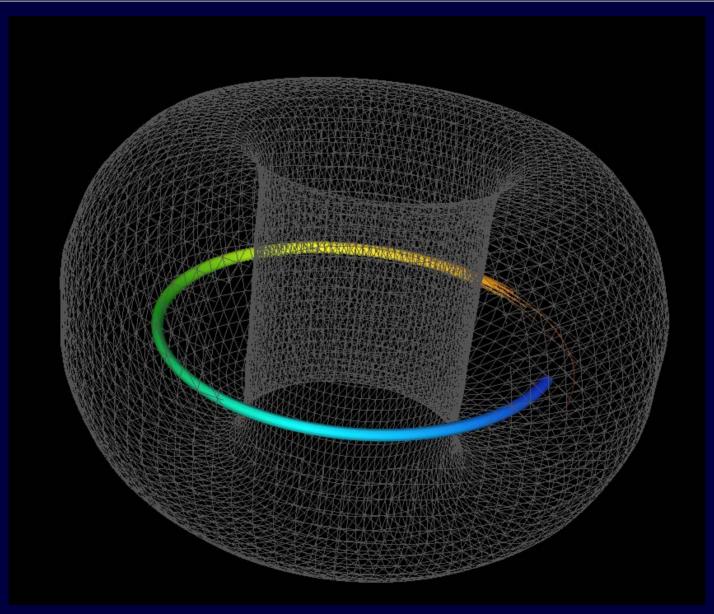


Using the points from the poincare plot a surface can be defined.



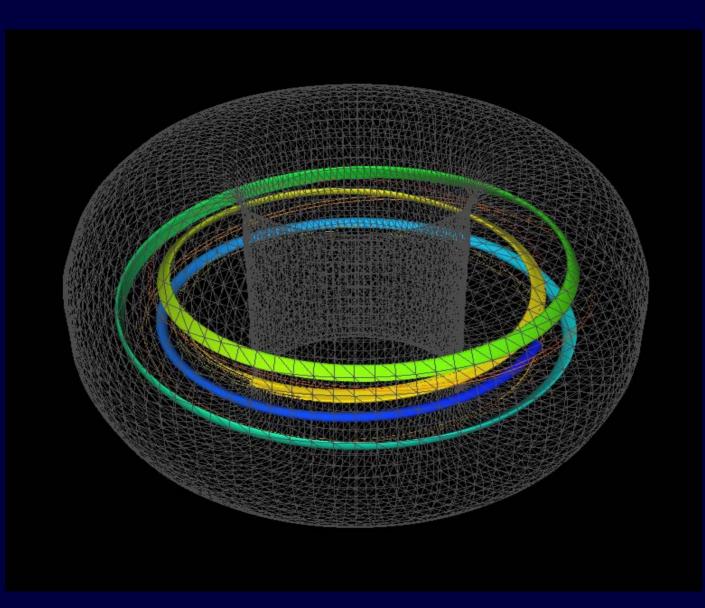
















Critical Points

Nulls can be found by looking at the locations where the field is zero within a cell.

Calculate the Jacobian as a serries of linear equations.

$$\mathbf{A}p_{ij} + \vec{b} = \vec{v}_{ij}$$





Critical Points

Given **A** and \vec{b} find the location of the zero vector $\mathbf{A}p + \vec{b} = \vec{v} = 0$

$$\mathbf{A}^{-1}\vec{b} = \begin{pmatrix} x \\ y \\ z \end{pmatrix}$$

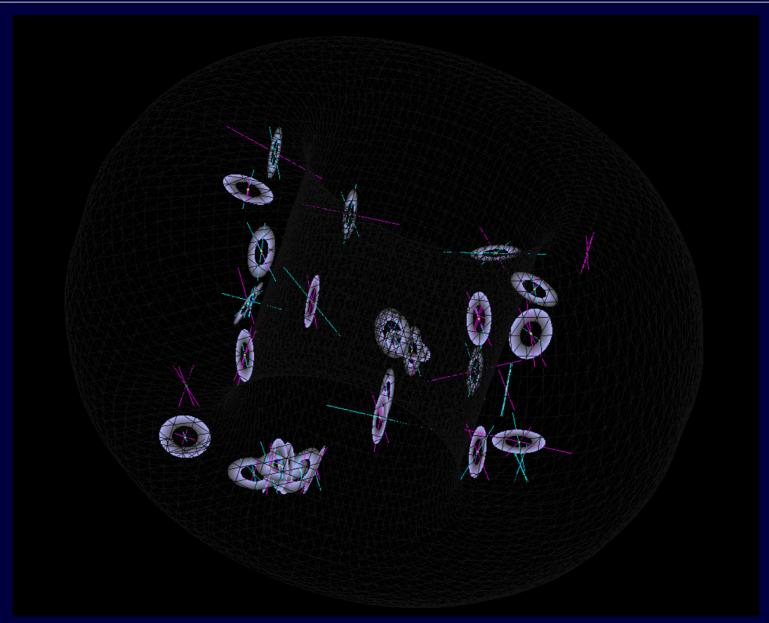
If $\begin{pmatrix} x & y & z \end{pmatrix} \in Cell$

then cell contains a zero.





Critical Points







Summary

Initial work towards

- Vortex Cores
- Stream surfaces
- Critical Points



