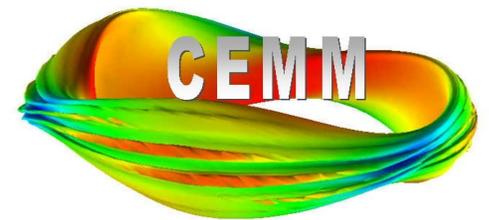


## Update on NIMROD modeling of edge modes

Jacob King<sup>1</sup>, Scott Kruger<sup>1</sup>, Phil Snyder<sup>2</sup>  
<sup>1</sup>Tech-X Corporation, <sup>2</sup>General Atomics

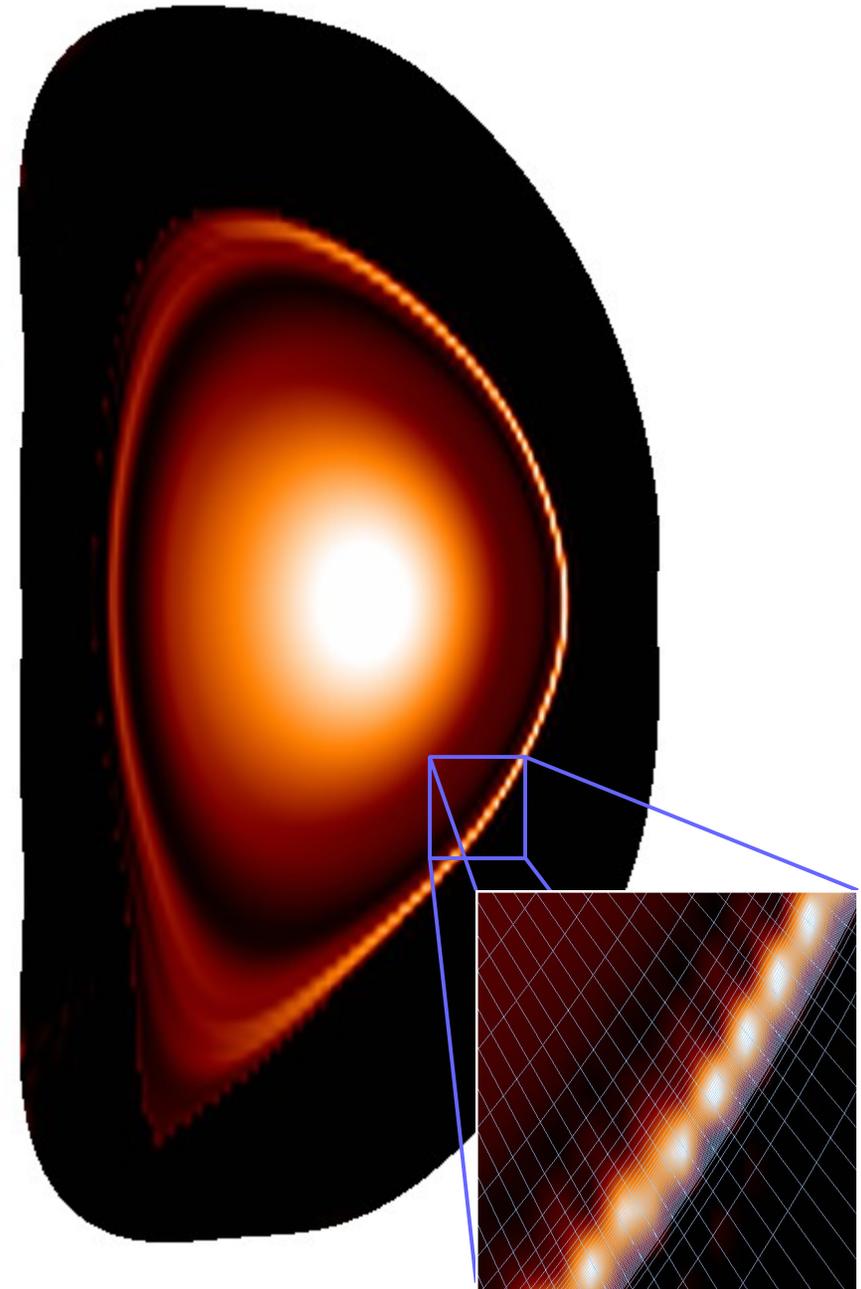
CEMM Meeting APS-DPP 2014





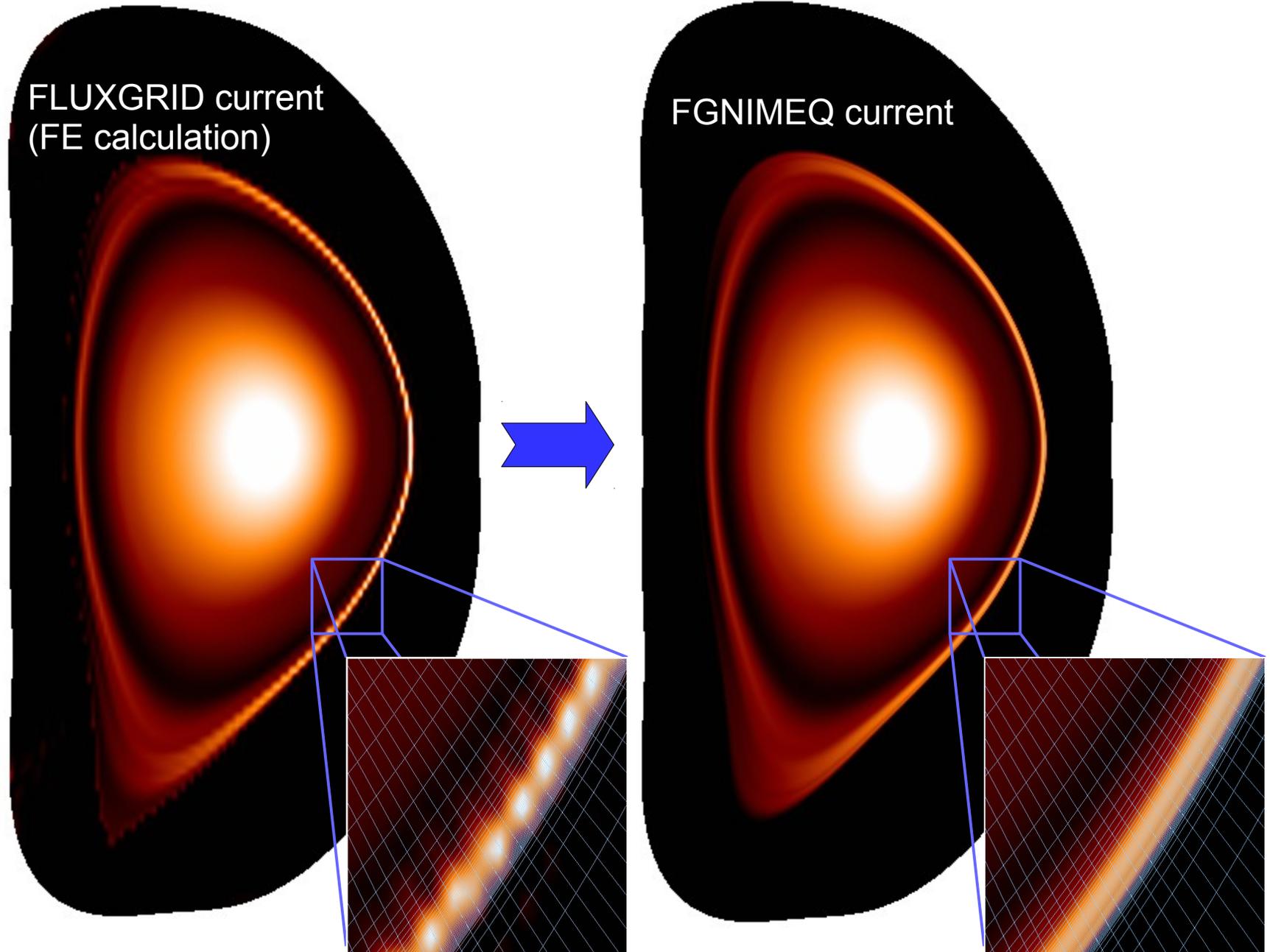
## Computations with low resolution reconstructions may be corrupted by the input file resolution.

- Fluxgrid currently maps  $\psi$  from the reconstructed grid onto the NIMROD grid.
- Low resolution reconstructions can lead to small scale artifacts in the equilibrium.
  - In particular, the extended-MHD operators, many of which involve high-order derivatives, seem to be sensitive to these artifacts.
- Figure: Toroidal current mapped to a 72x512pd4 NIMROD grid from a 128x128 reconstructed EFIT grid where FE calculations are used to compute  $J$  from  $\psi$ .





An new utility, FGNIMEQ, allows one to re-solve the Grad Shafranov equation to obtain high quality fields.





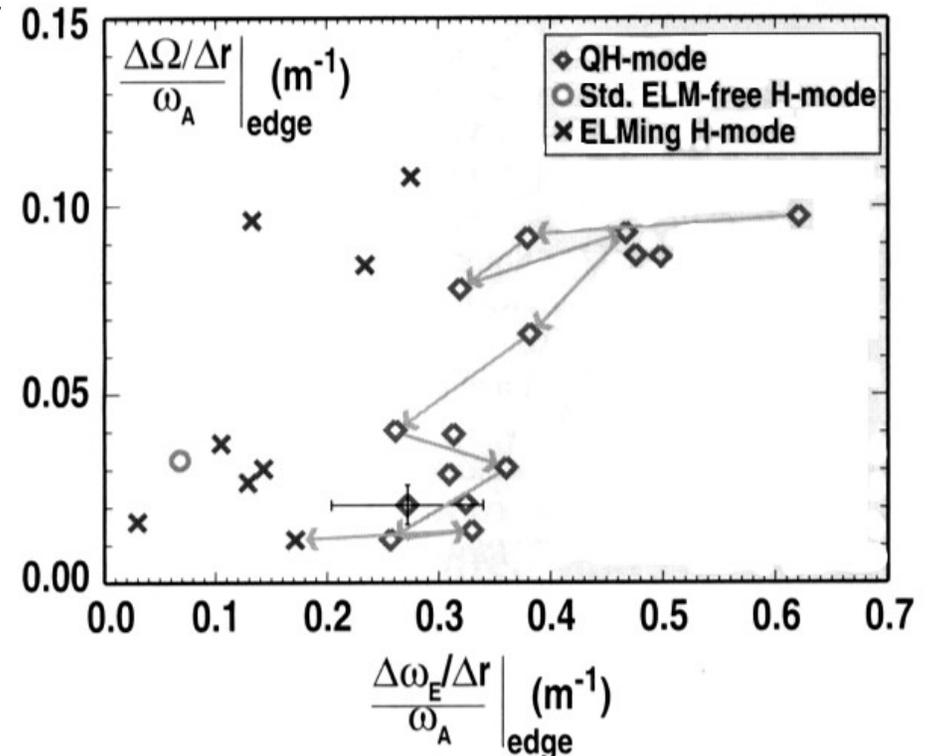
Using FGNIMEQ, we can now converge on extended-MHD cases that were previously problematic.

- FGNIMEQ uses the mapped  $\psi$  as a boundary condition and splines of the reconstructed profiles for  $p$  and  $F$  and re-solves the Grad Shafranov equation with NIMEQ [Howell and Sovinec, CPC 185, 1415 (2014)].
  - The extension for FGNIMEQ is the inclusion of an open flux region and coupling to FLUXGRID.
- The goal is to minimally change the macroscopic equilibrium.
- It has enabled the linear runs of this presentation which do not use any hyper-diffusivities or stabilization methods.
- See my poster (Monday morning) for more details on FGNIMEQ.



# Tokamak operation with edge harmonic oscillations (EHO) provides access to a quiescent H-mode regime [Burrell 2012].

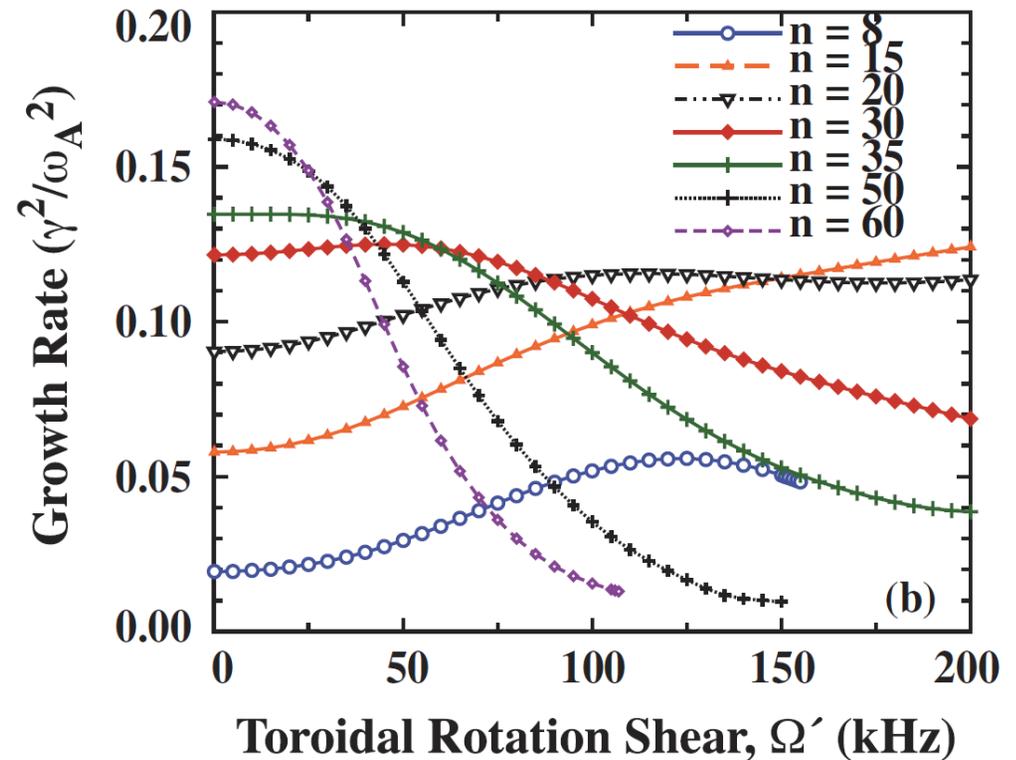
- EHO is characterized by a small toroidal mode number ( $n \sim 1-5$ ) perturbation localized to the magnetic separatrix.
- Particle transport is enhanced leading to steady-state pedestal profiles.
- Access to the EHO operation regime requires control of the flow profile.
- In particular, experimental observations indicate that the ExB flow shear is a key component in the generation of EHO [Garofalo 2011].





# The physical mechanisms of EHO are not fully understood.

- Linear MHD calculations suggest EHO may be a saturated kink-peeling mode partially driven by flow-profile shear [Snyder 2007].
- It is hypothesized that the saturated mode drives sufficient particle and thermal transport to maintain steady state pedestal profiles.



ELITE results from Snyder 2007

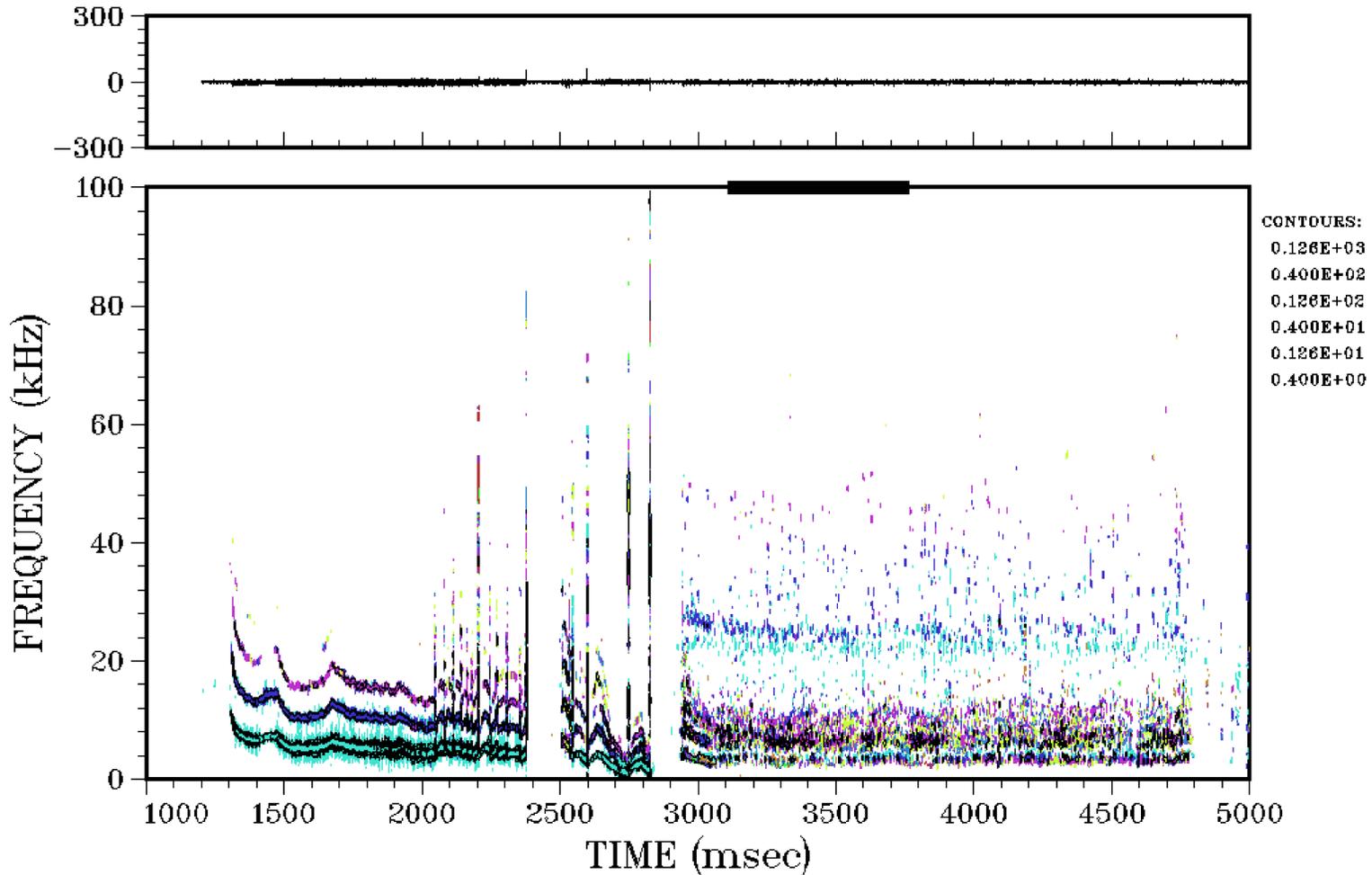


We analyze DIII-D shot 145098 at 4250 ms while the discharge is ELM free with broadband EHO.

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145098

CROSS-POWER SPECTRUM 1200.0 to 5000.0 ms  
1.000 kHz smoothing ( 5 PTS) 5.0 ms intervals  
MPI66M307D modes -4 to 5  
MPI66M340D -5 -4 -3 -2 -1 0 1 2 3 4 5



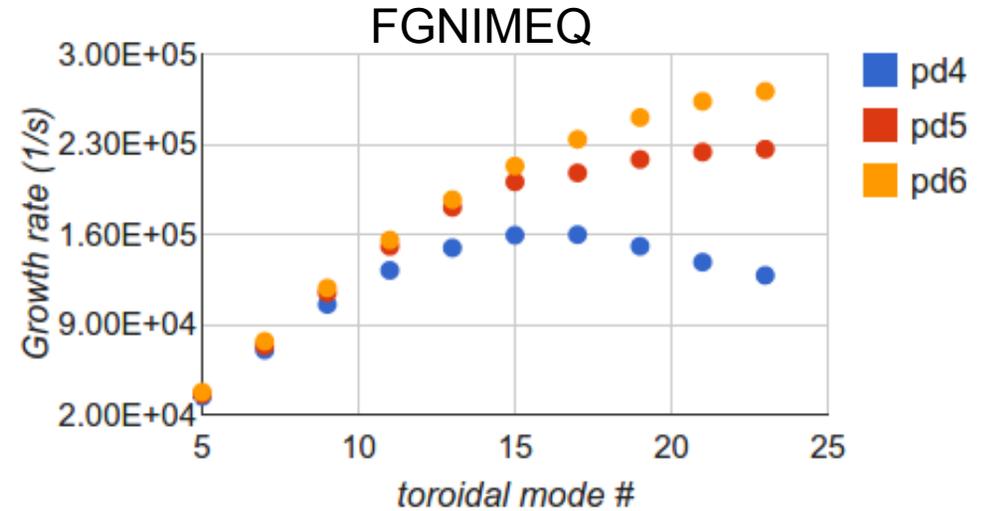
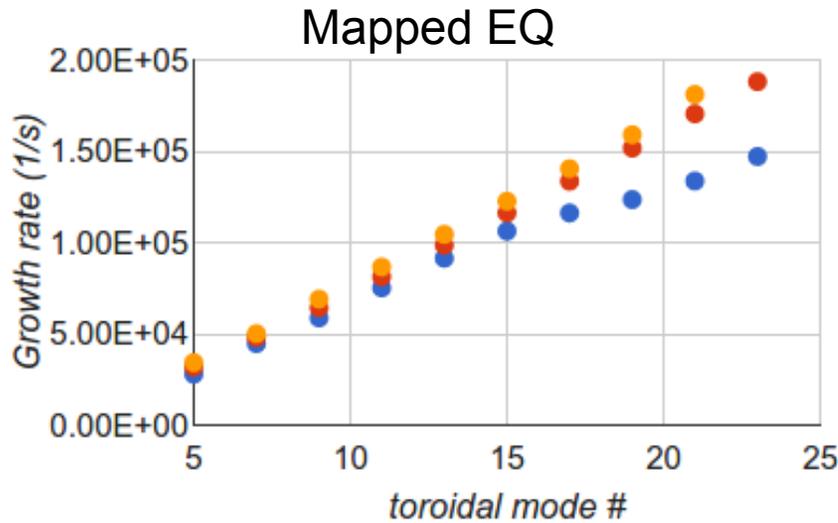


We study a reconstruction of this discharge with varied NIMROD runs.

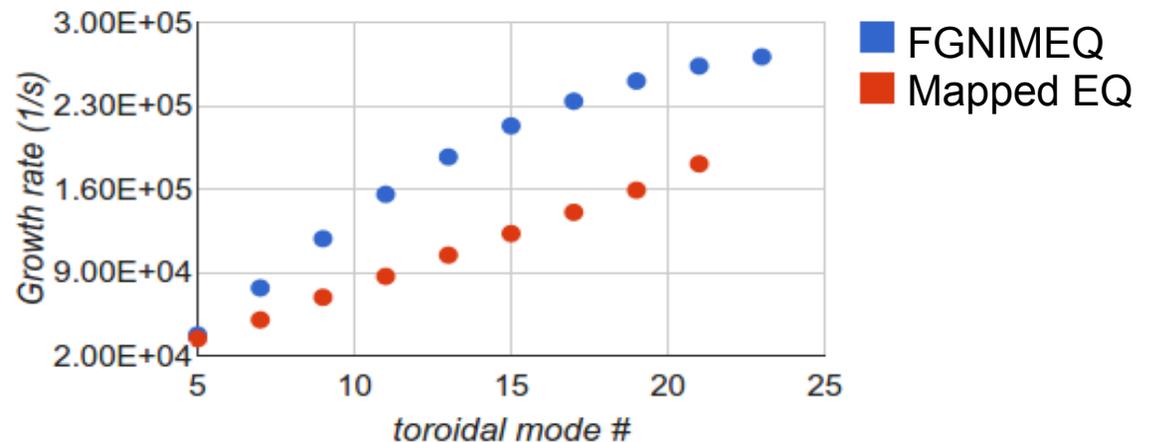
- Model variations (effects are additive)
  - Resistive MHD with parallel closures (par): Density profile, Spitzer resistivity,  $P_m=1$ ,  $\chi_{\perp}=0.1\eta/\mu_0$ ,  $D_n=0.1\eta/\mu_0$ , parallel viscosity  $\nu_{\parallel}=8.6e5m^2/s$ , parallel thermal conduction  $\chi_{\parallel}=1e7m^2/s$ .
  - Ion gyroviscosity (gyr)
  - Two fluid (2fl): generalized Ohm's law
  - Separate temperature evolution (2t): cross heat fluxes included.
- Bootstrap current variations: reduced/full
- Flow effect variations:  $V_{ExB}$ ,  $V_{Kpol}$  and  $V_*$  can be included.



FGNIMEQ allows modeling that was not previously possible and makes other cases more robust.



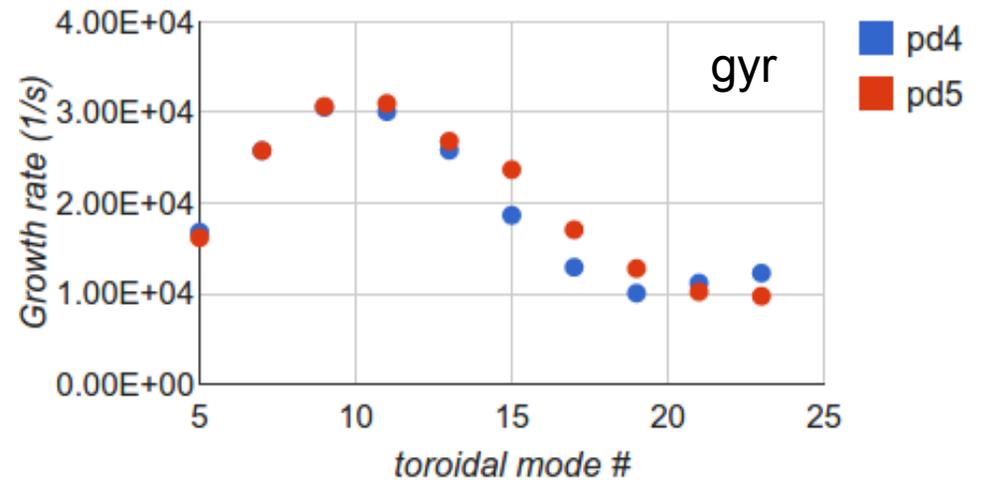
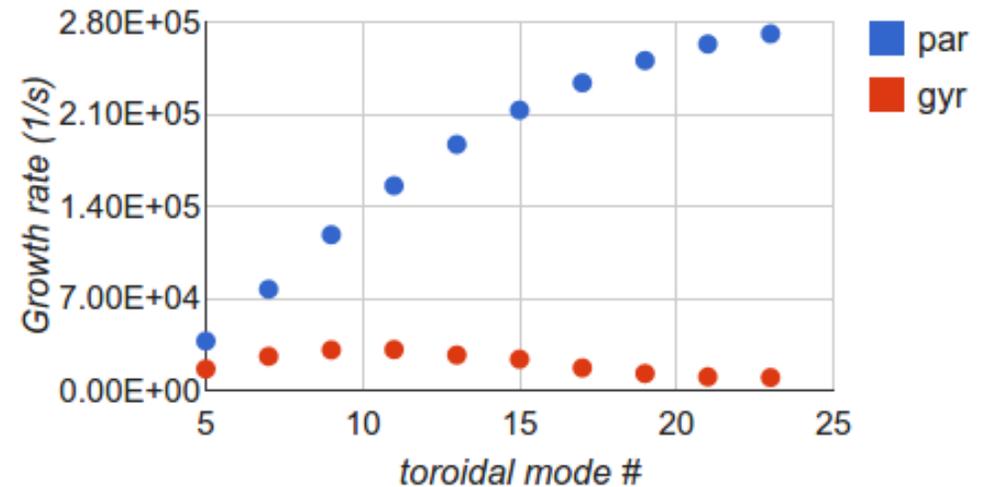
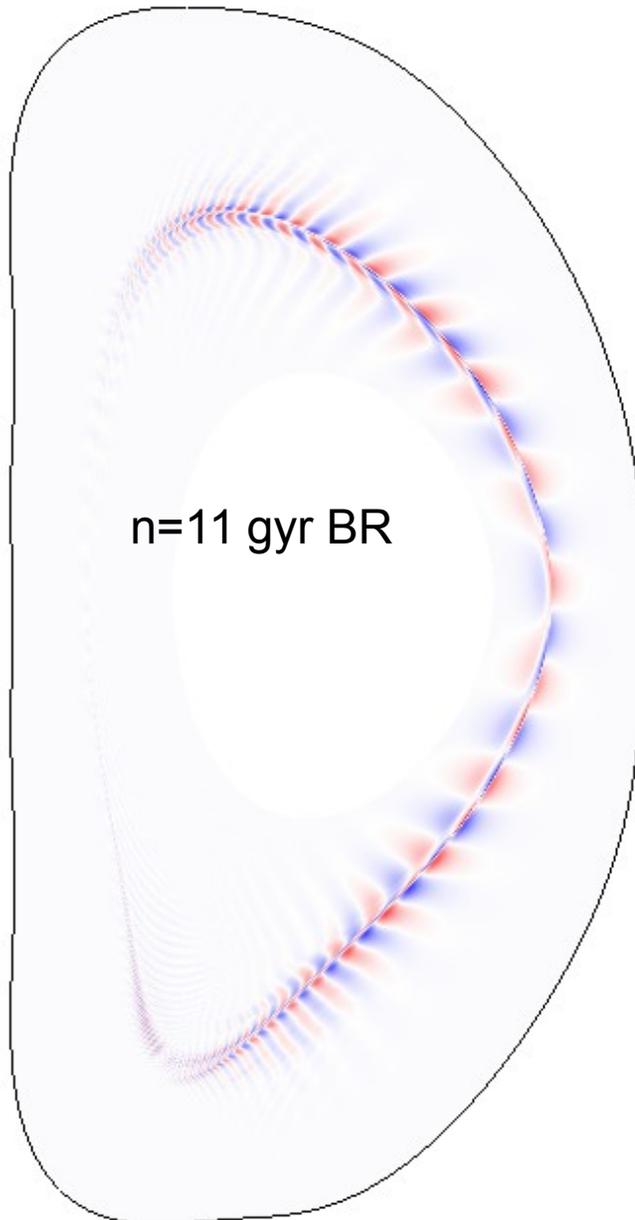
- Parallel model is used in all cases.
- The mapped EQ cases require a FE stabilization method on the velocity in order to converge.
- Extended-MHD cases are not possible with the mapped EQ.
- The growth rate is similar at small toroidal mode number.



50% bootstrap current



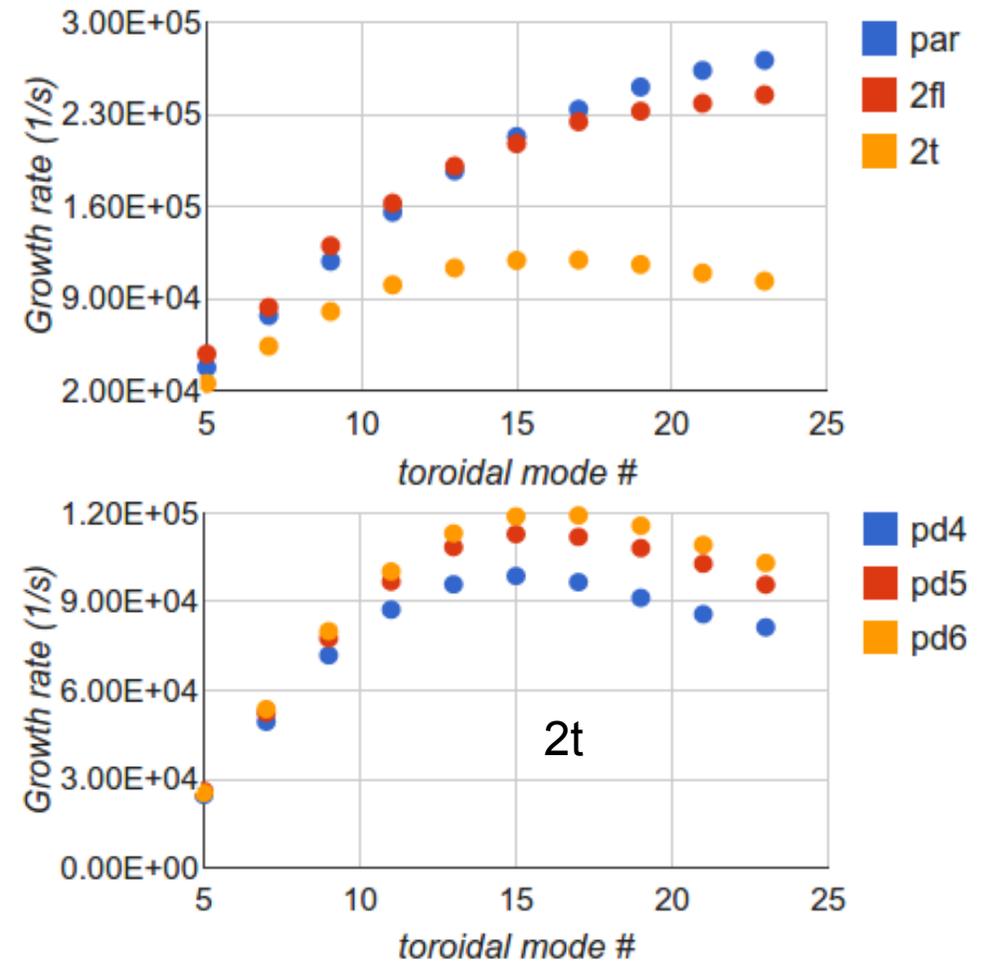
Ion gyroviscosity alone is stabilizing; many drift-ordered terms are neglected with this model.



50% bootstrap current;  $d_i(\psi_n=1)=0.1\text{m}$

## Two fluid modeling captures large stabilizing drift effects.

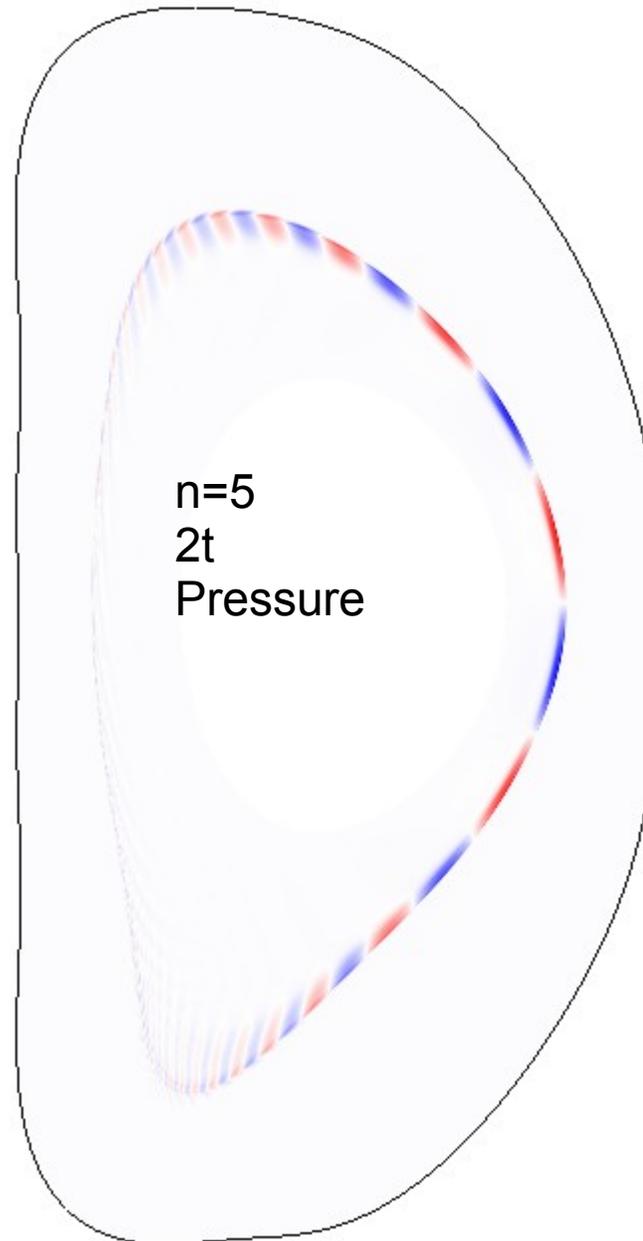
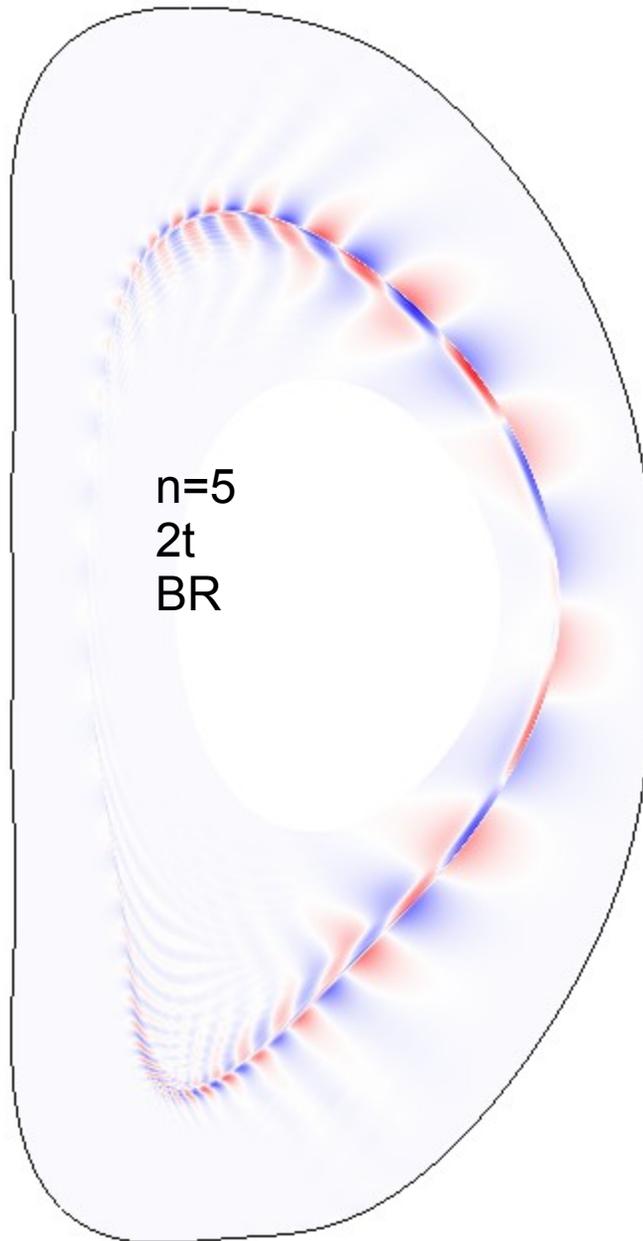
- For the drift-tearing, our recent publication showed the importance of cross-heat flux to the drift stabilization at low  $\beta$  [PoP 21, 102113 (2014)].
- Although modeling with a generalized Ohm's law and ion gyroviscosity is slightly stabilizing, large stabilizing drift effect is obtained with a two temperature modeling.



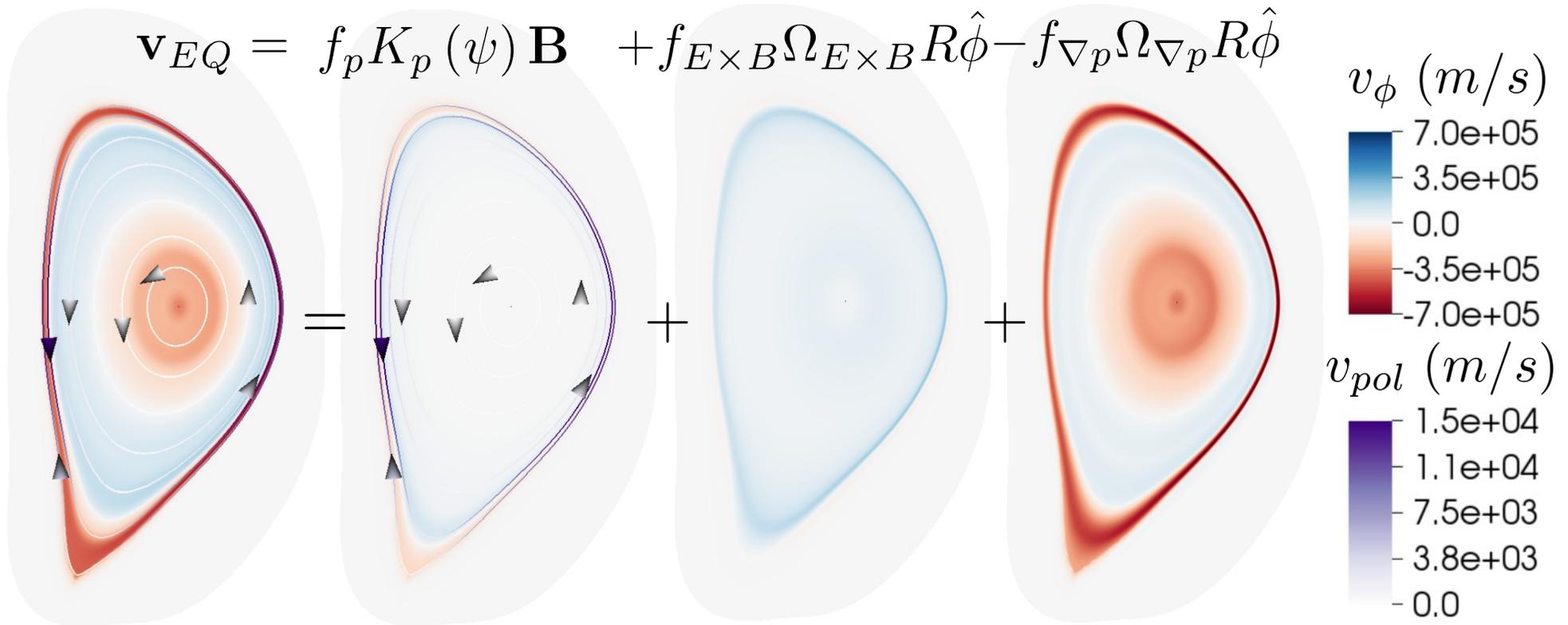
50% bootstrap current;  $d_i(\Psi_n=1)=0.001\text{m}$



Extended-MHD modeling does not produce macroscopic changes in the mode structure.



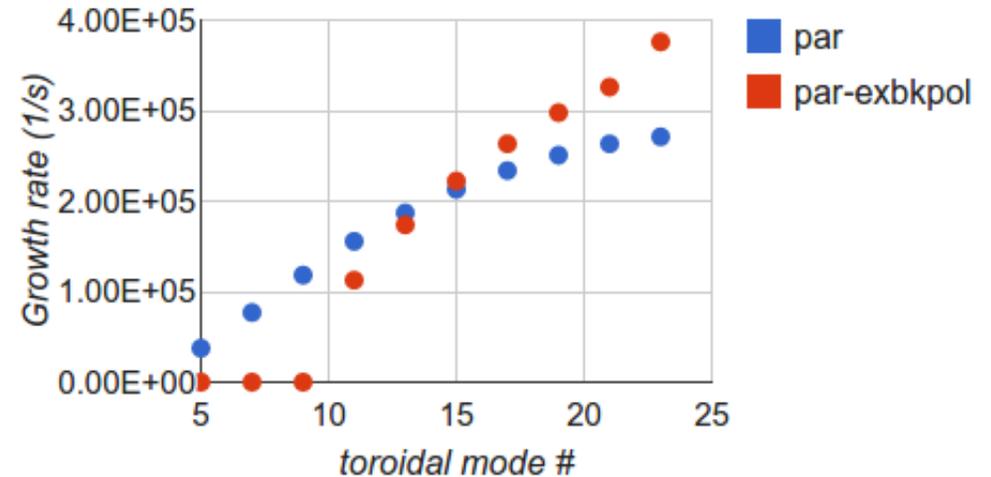
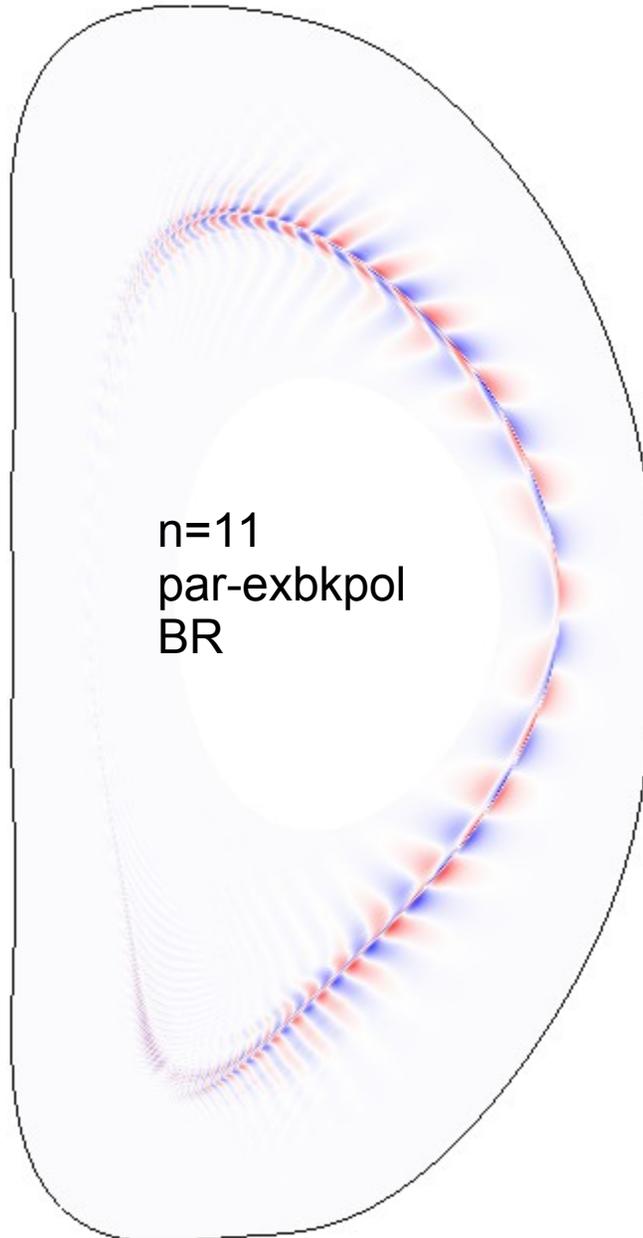
Going forward we intend to focus on modeling cases with flow and nonlinear dynamics.



- We can vary the each contributions flow profiles, here we run cases with and without the ExB flow contribution.
- Profiles are shown for  $f_p = f_{E \times B} = f_{\nabla p} = 1$ .
- Flows are specified by the reconstruction up to the separatrix and extrapolated to zero beyond the separatrix. The extrapolation methods are a work in progress.



Flow effects stabilize the intermediate toroidal mode number modes.



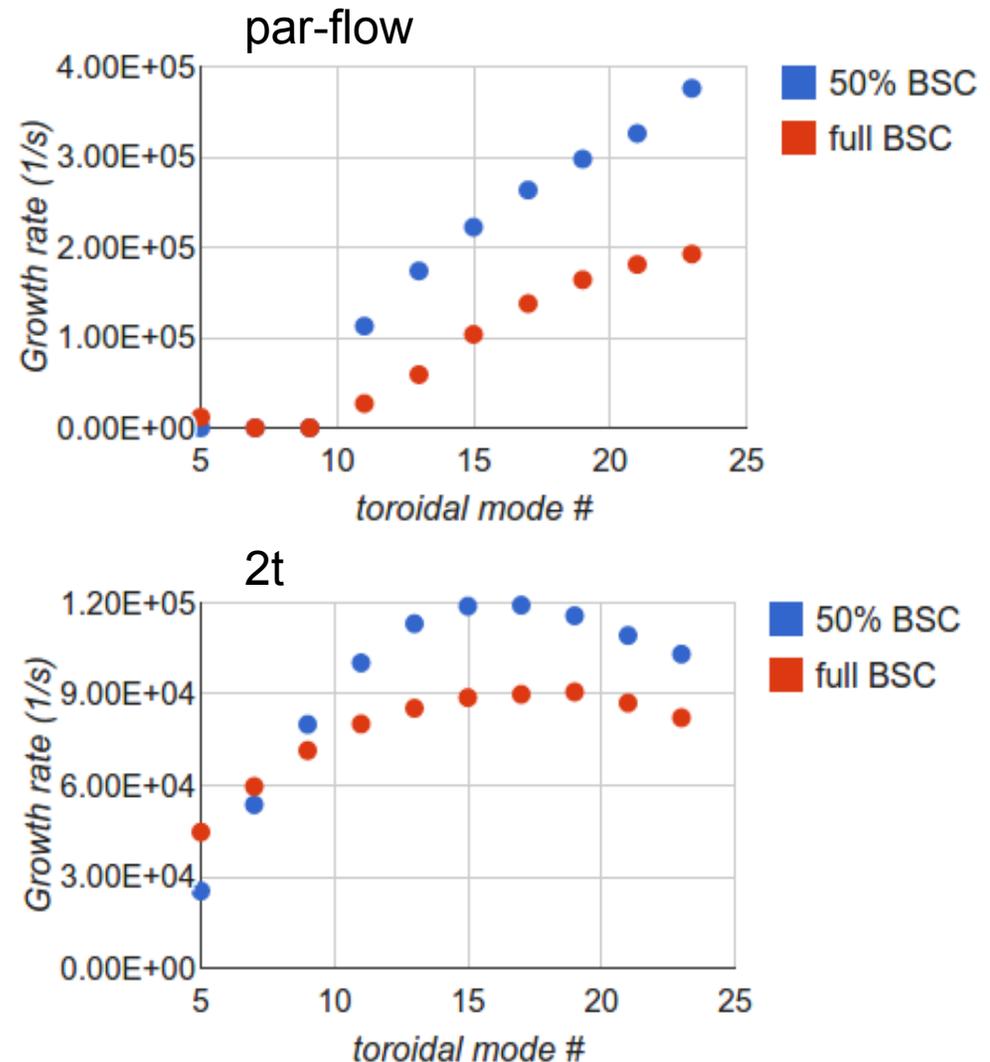
- ELITE results on previous slide had high-n stabilization ( $n=35-60$ ) and intermediate-n destabilization ( $n=8-15$ ).
  - However these results are not from the same reconstruction!

50% bootstrap current



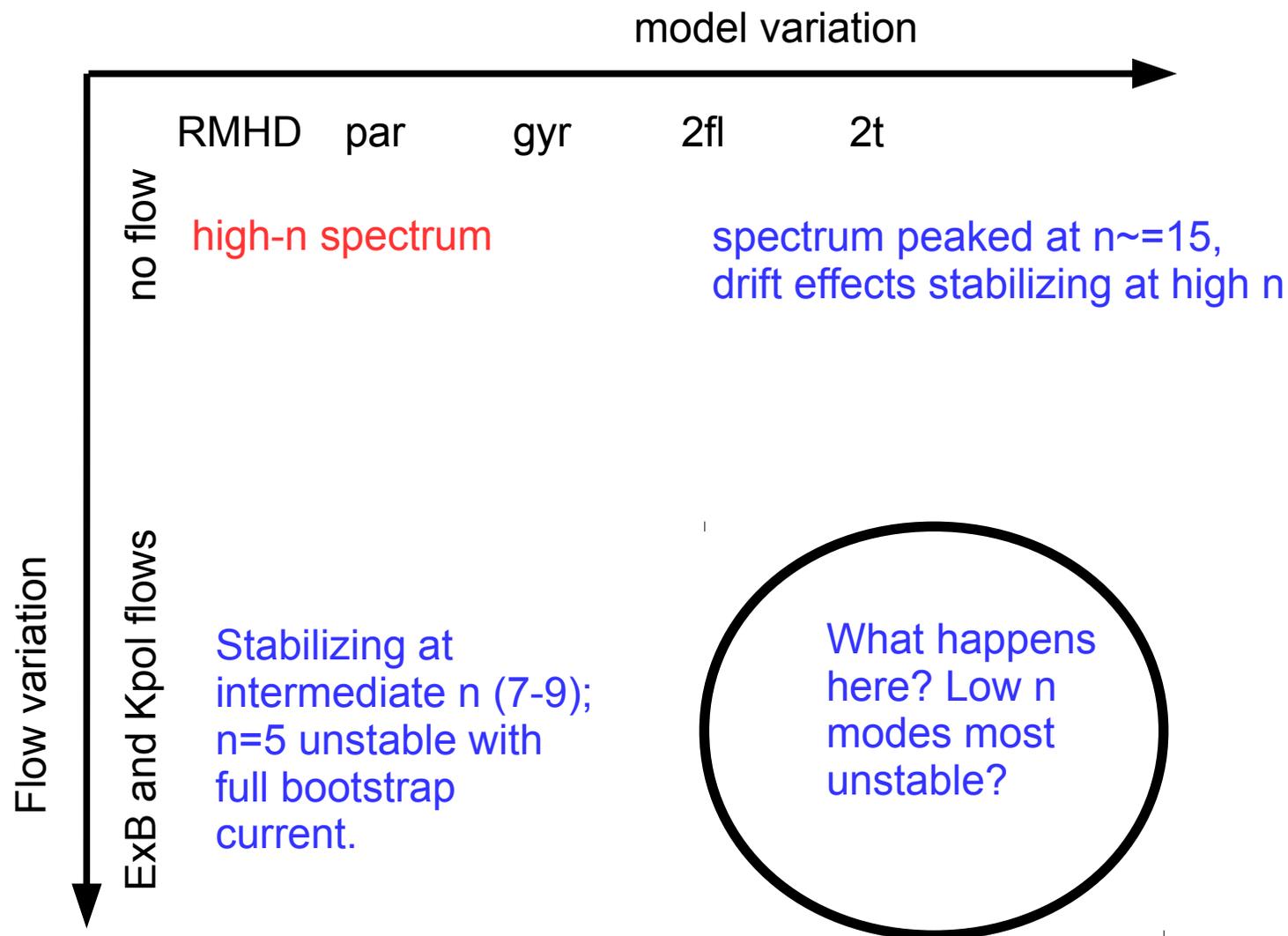
# Including the full bootstrap current destabilizes the low-n modes and stabilizes the high-n modes.

- The n=5 mode is unstable with a full BS current and a parallel flow model but stable with the same model and 50% BS current.
- The safety factor has reversed shear at full BS current, and low destabilization is expected [Zhu et al. PoP 19, 022107 (2012)].
- Future work will concentrate on combining the two-fluid, two-temperature modeling with flow profiles (which also will include a diamagnetic flow that enters as a drift-ordered effect).





## Additional modeling is required.





## Summary

- FGNIMEQ is a new utility that re-solves the Grad Shafranov equation for high-quality fields.
  - It is particularly useful for edge cases and low resolution reconstructions.
- With this new capability we are now able to run extended-MHD cases with the EHO reconstructed equilibrium.
- We find flow effects are stabilizing and intermediate  $n$ , and drift effects from extended-MHD are stabilizing at high  $n$ .