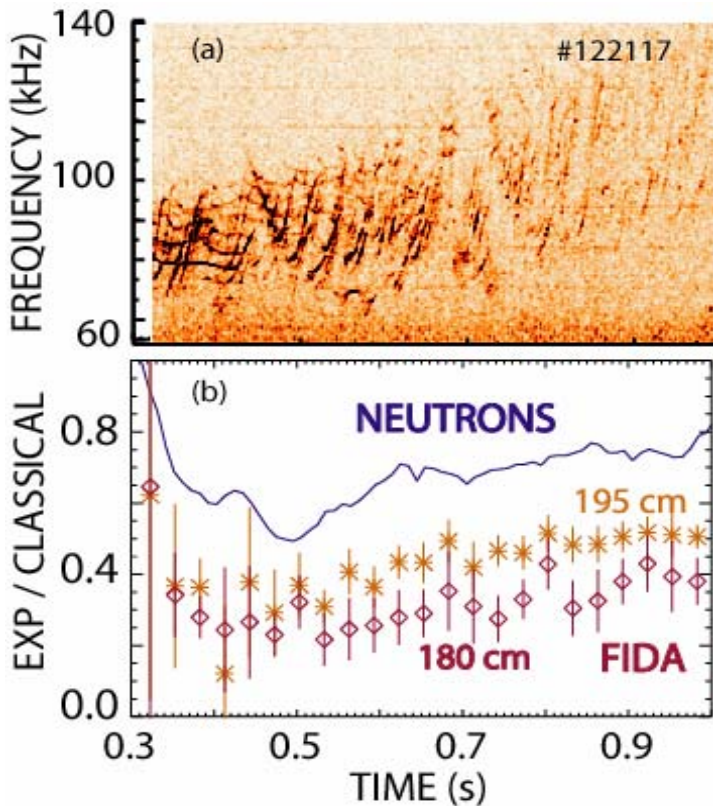
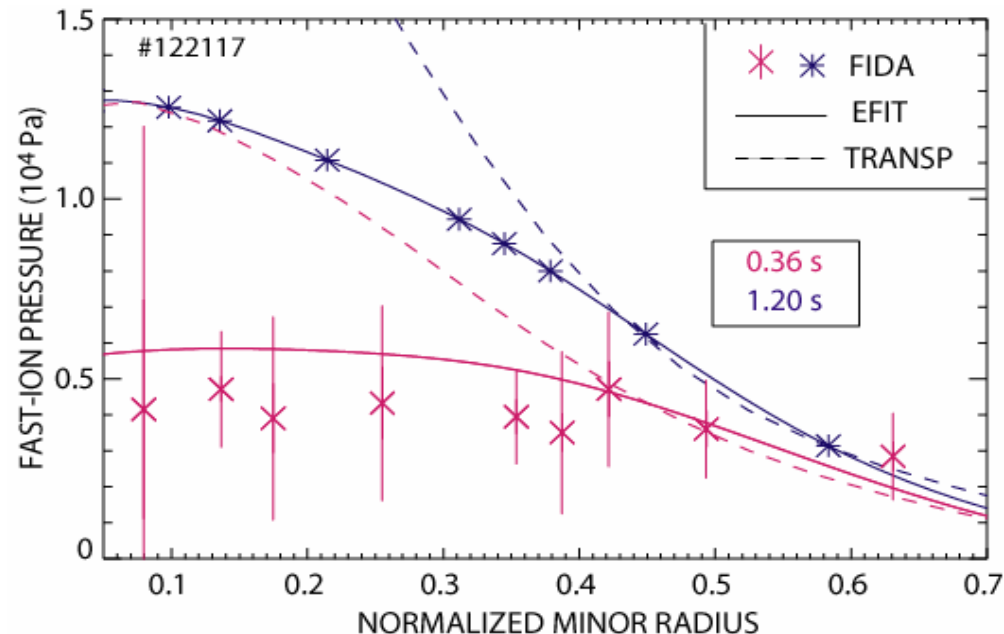


# Severe Flattening of Fast-ion Profile Measured during Alfvén Eigenmodes

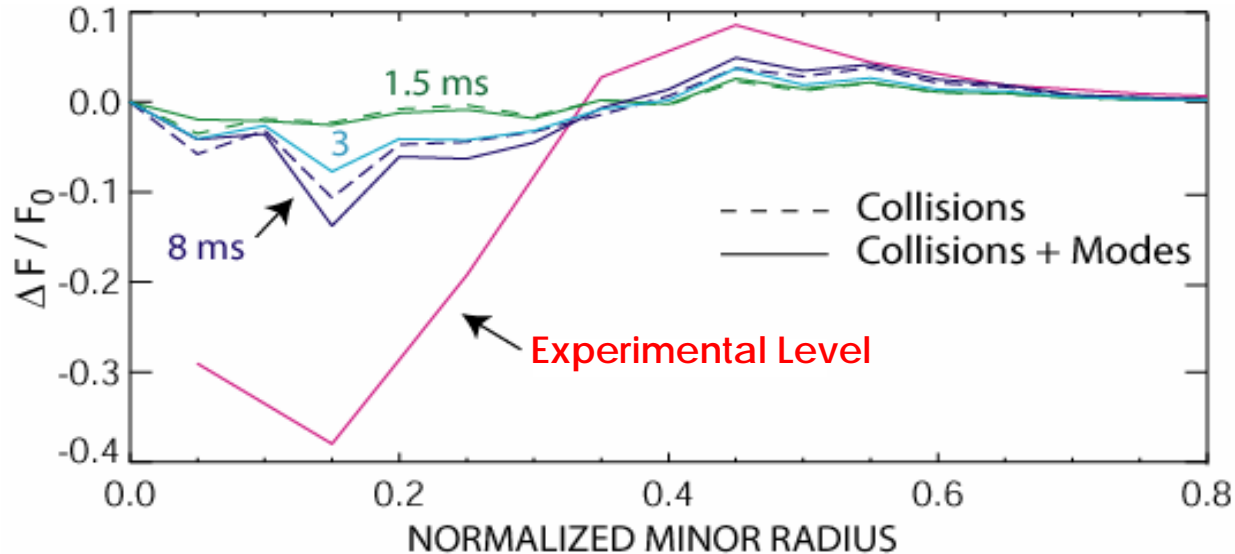


- Lots of constantly changing modes
- Modeling is performed for a time short compared to  $\tau_s$
- Measured distribution function is fully evolved



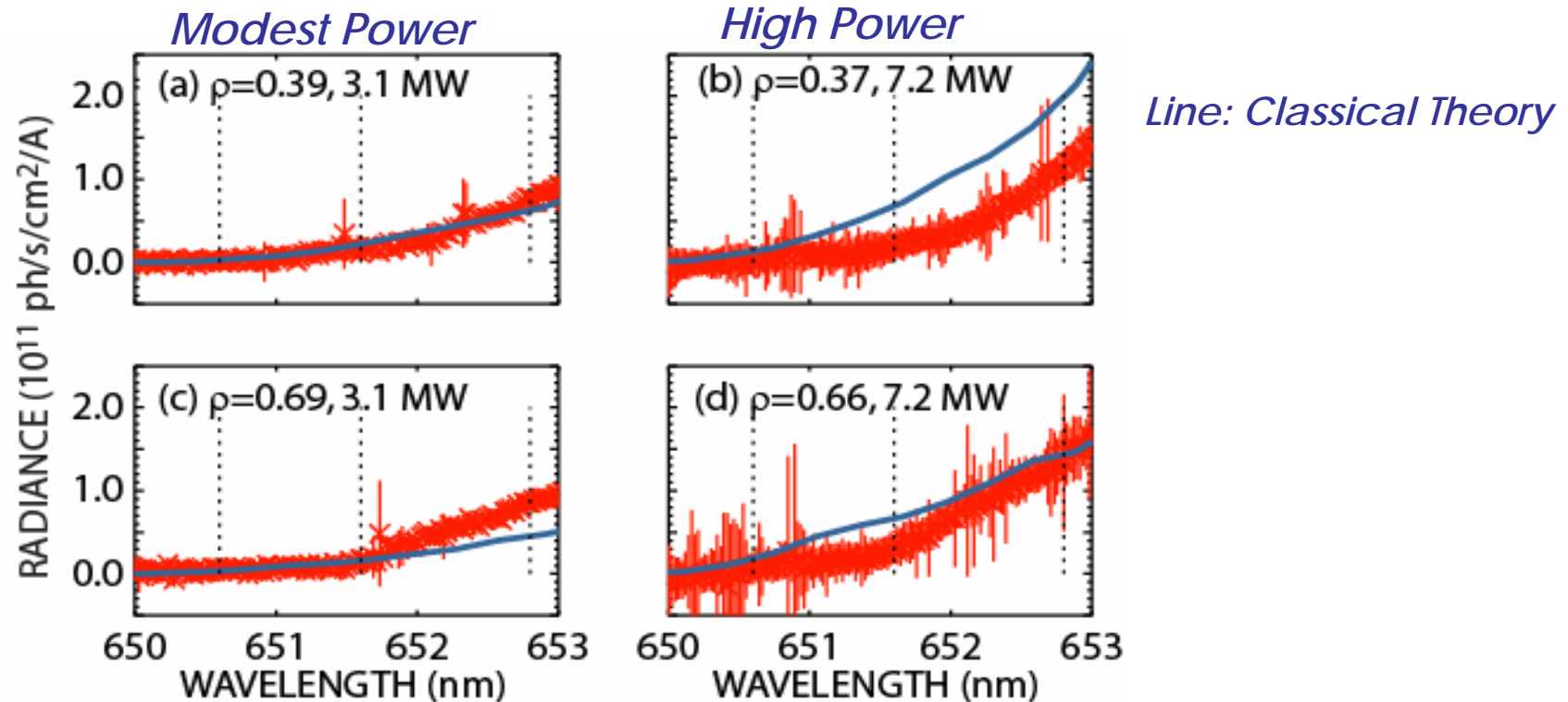
Heidbrink, PRL 99 (2007) 245002; NF 48 (2008) 084001.

# The first (crude) comparison showed theory was an order of magnitude too small



- The normalized change in the distribution function in the co-passing part of phase space is shown for ORBIT runs of varying duration.
- The **red curve** is the change observed in the TRANSP runs with *ad hoc*  $D_B$  in  $\sim 8$  ms. (*This was a rough estimate.*)
- Now that theory is the right order of magnitude, how do we make a more accurate comparison?

# Recent Evidence that Microturbulence causes Fast-ion Transport



- Spectral shape deviates from classical theory when temperature is large, Doppler shift is small; more pronounced at larger minor radius
- Steady-state transport; measure fully-evolved distribution function

# Theoretical Explanation for Small Diffusion: Large Orbits Phase Average

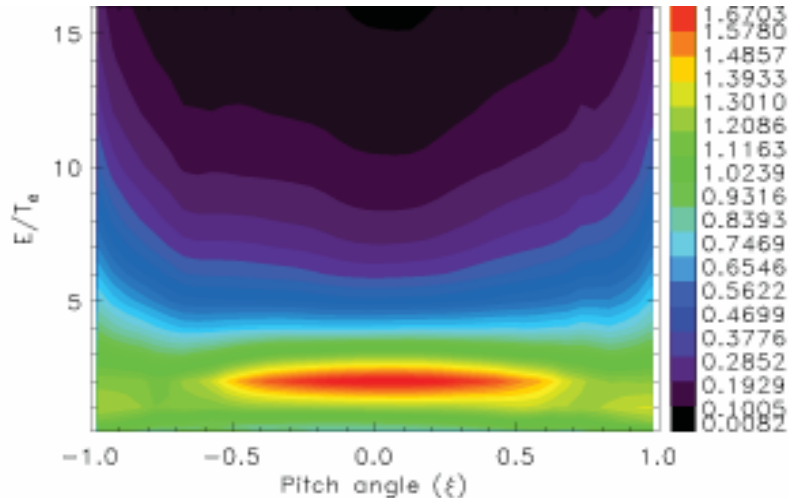
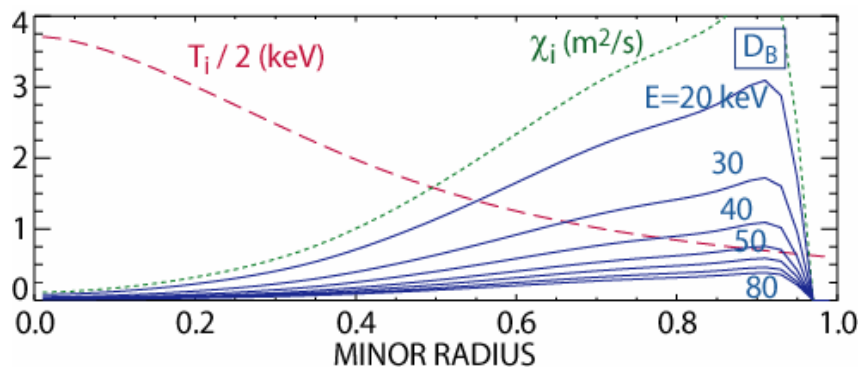
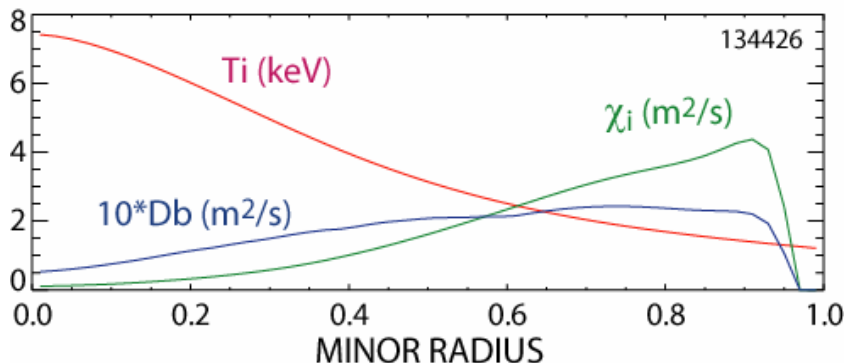


FIG. 3 (color). Diffusivity  $D=D_I$  as a function of particle energy  $E=T_e$  and pitch angle  $\xi$ .

W. Zhang, Phys. Rev. Lett. 101 (2008) 095001.

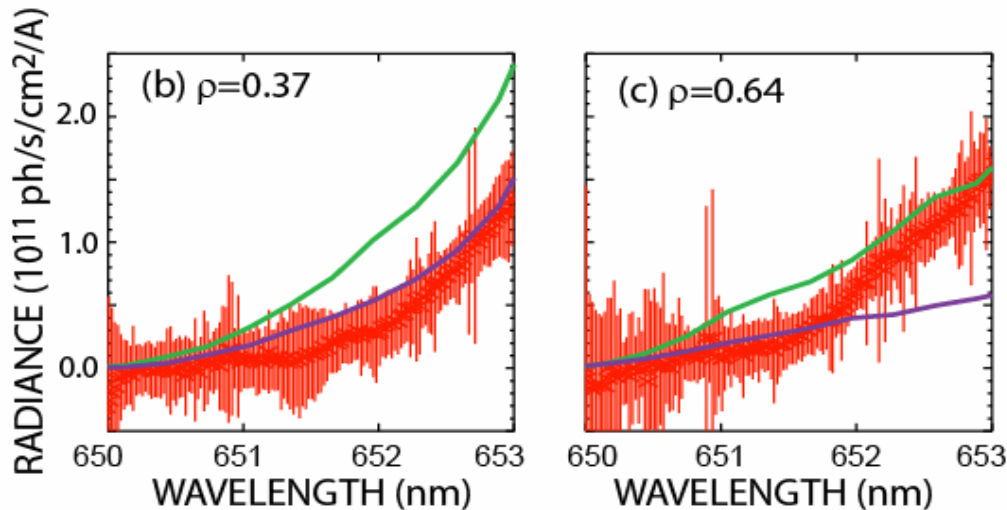
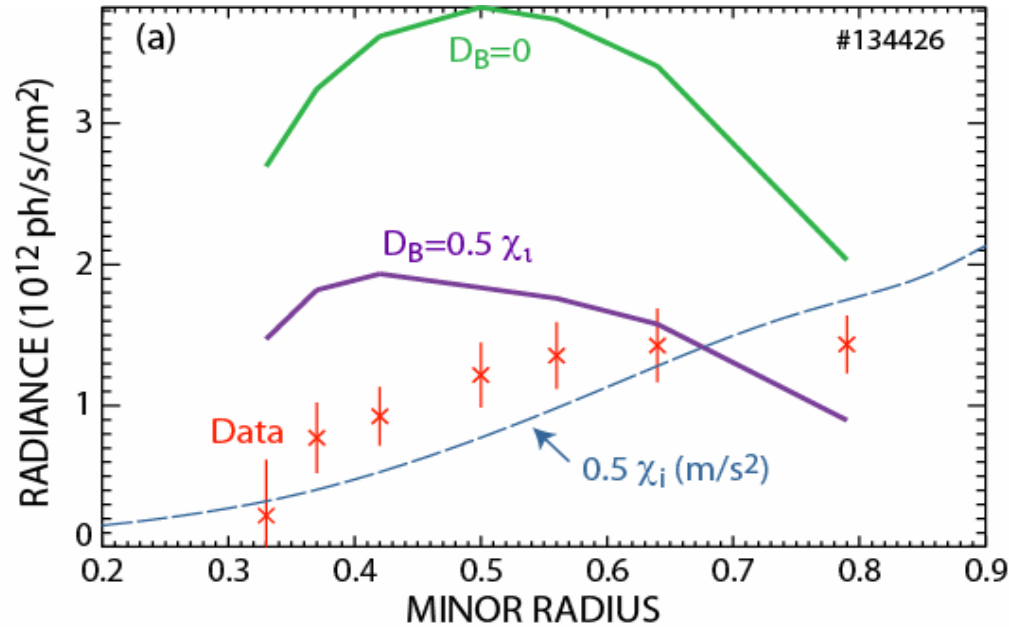
- Transport scales with  $E/T$  (fast-ion energy/temperature)
- $D_B(r) = c[E/T(r)] D_i(r)$

# Use TRANSP $D_B$ for quantitative estimate of expected effect



- Want to model  $D_B(r) = c[E/T(r)] D_i(r)$
- NUBEAM assumes separable dependence:  $D_B = g(E)h(r)$
- First try: Use experimental value of  $E/T_i$  to estimate magnitude of transport, then multiply by  $\chi_i$
- Second try: Use  $D_B(E)$  for a particular  $T_i$ , multiply by  $\chi_i$
- Both give right magnitude but neither reproduce FIDA spectra or profile

# The predicted transport is the right order of magnitude but the details are wrong



- This example from first modeling attempt
- The second approach yields something similar
- TRANSP produces a fully-evolved  $f$   
→ suitable input for forward modeling
- Current NUBEAM can't get phase-space details right

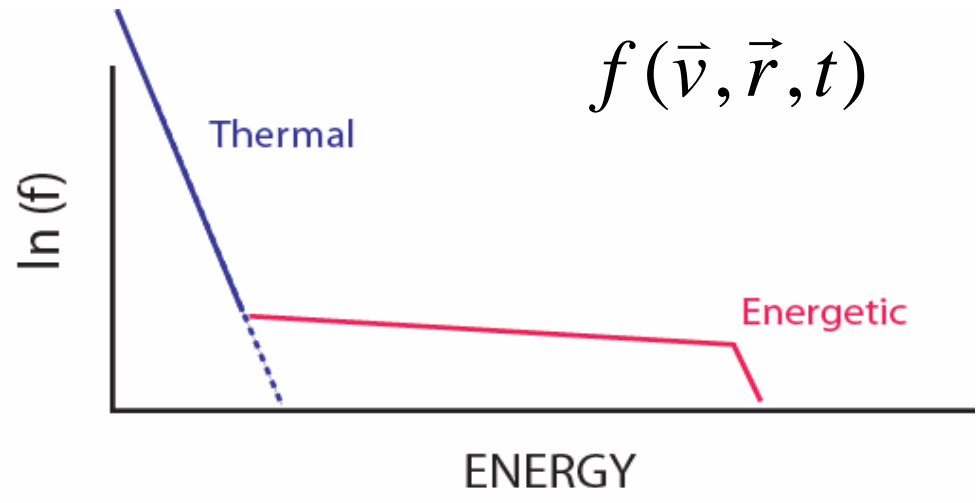
# Why is quasi-steady transport hard to model?

- Theory computes a flux ( $\Delta f$ )
- Experiment requires the evolved  $f$

*Important simplification:* Although the forward modeling to simulate the diagnostic signals is complicated, it is linear  $\rightarrow$  can concentrate on finding  $f$

# Combine TRANSP with physics-based instability transport

- Source:  $S$
- Collisions:  $C$
- Waves:  $Q$
- Losses:  $L$



$$\frac{\partial f}{\partial t} = S + C + Q + L$$

- TRANSP accurately treats source, collisions, and losses
- Derive  $D_B$  (and convective flux) from simulations → insert into TRANSP

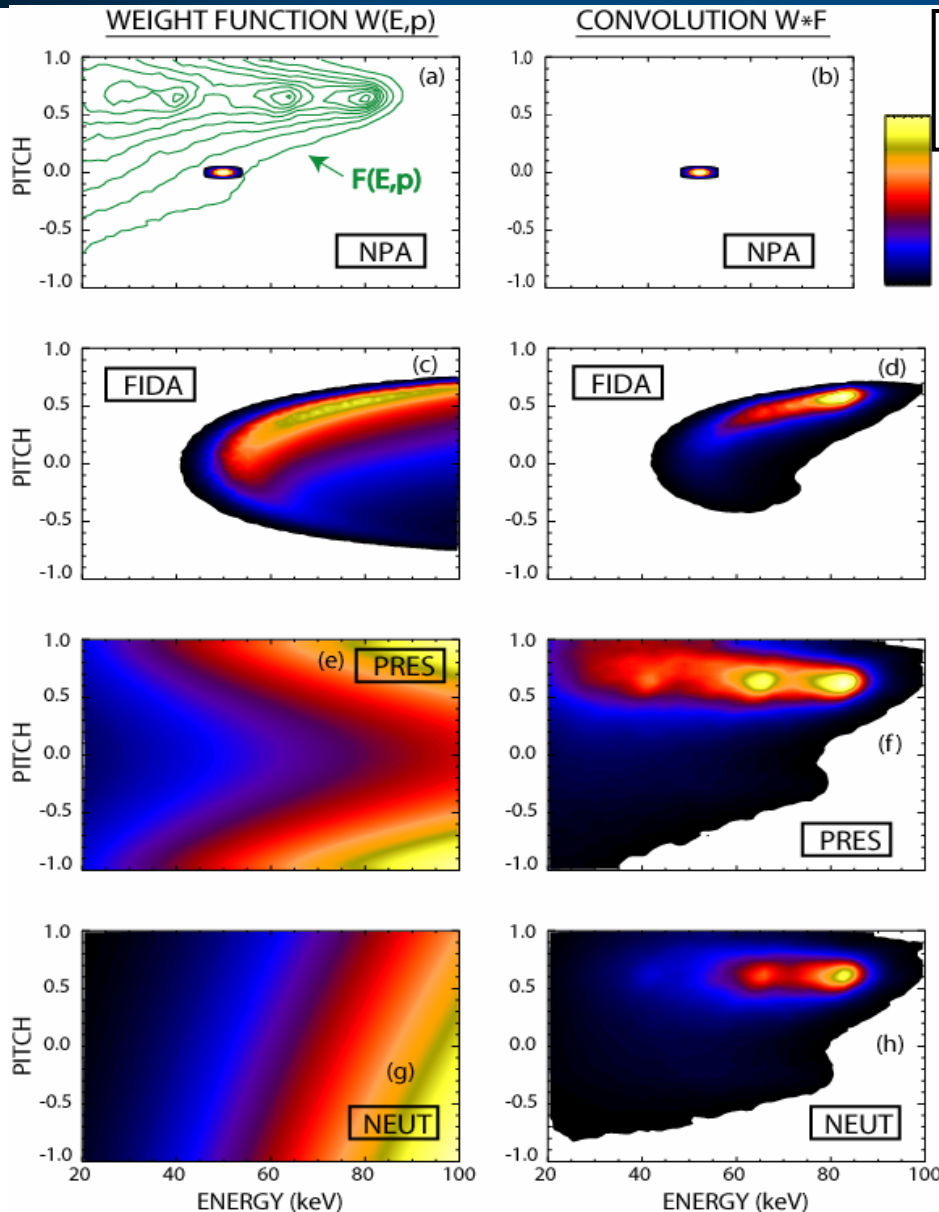


# Bottom Line

- Need to decide required form of  $D_B$  and  $\Gamma_B$  to describe relevant wave-particle interactions
  - This capability needs to be incorporated into TRANSP
- enables quantitative validation of theory

# Backup Slide

# How do the diagnostic measurements relate to the fast-ion distribution function?



$$Signal = \iint (W \times F) dE dPitch$$

- Define a “weight function” in velocity space
- Like an “instrument function” for spectroscopy
- Sharp “W” best for physics mechanism; broad “W” best for average properties