#### Hybrid Simulations of Alpha Particle Effects on MHD Modes in ITER

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## Outline

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## Introduction

- We investigate stability of internal kink, fishbone and TAE in ITER by particle/MHD hybrid simulations;
- Our main tool, M3D, is a 3D global nonlinear extended MHD code.

### M3D code

M3D is an extended-MHD (XMHD) code which has multi-level of physics:

Resistive MHD; Two fluids; Particle/MHD hybrid;

### **M3D XMHD Model**

 $\rho \frac{d\mathbf{v}}{dt} + \rho (\mathbf{v}_{\mathbf{i}}^{\star} \cdot \nabla) \mathbf{v}_{\perp} = -\nabla P - \nabla \cdot \mathbf{P}_{\mathbf{h}} + \mathbf{J} \times \mathbf{B} - \mathbf{b} \cdot \nabla \cdot \Pi_{\mathbf{i}}$ 

$$\mathbf{J} = 
abla imes \mathbf{B}, \qquad \quad rac{\partial \mathbf{B}}{\partial t} = -
abla imes \mathbf{E}$$

 $\mathbf{E} + \mathbf{v} \times \mathbf{B} = \eta \mathbf{J} - \nabla_{\parallel} P_e / en - \mathbf{b} \cdot \nabla \cdot \Pi_e$ 

$$\partial P/\partial t + \mathbf{v} \cdot P = -\gamma P \nabla \cdot \mathbf{v} + \dots$$
  
 $\partial P_e/\partial t + \mathbf{v} \cdot P_e = -\gamma P_e \nabla \cdot \mathbf{v} + \dots$ 

#### • Pressure tensor

$$\mathbf{P}_{h} = P_{\perp}\mathbf{I} + (P_{\parallel} - P_{\perp})\mathbf{b}\mathbf{b}$$
  
 $f = \sum_{i} \delta(\mathbf{R} - \mathbf{R}_{i})\delta(v_{\parallel} - v_{\parallel,i})\delta(\mu - \mu_{i})$ 

• Gyrokinetic Equations

$$\frac{d\mathbf{R}}{dt} = \frac{1}{B^{\star\star}} \bigg[ v_{\parallel} (\mathbf{B}^{\star} - \mathbf{b_0} \times (\langle \mathbf{E} \rangle - \frac{1}{q} \mu \nabla (B_0 + \langle \delta B \rangle)) \bigg]$$

$$m\frac{dv_{\parallel}}{dt} = \frac{q}{B^{\star\star}} \mathbf{B}^{\star} \cdot (\langle \mathbf{E} \rangle - \frac{1}{q} \mu \nabla (B_0 + \langle \delta B \rangle))$$

$$\mathbf{B}^{\star} = \mathbf{B}_{\mathbf{0}} + \langle \delta \mathbf{B} \rangle + \frac{mv_{\parallel}}{q} \nabla \times \mathbf{b}_{\mathbf{0}}, \quad B^{\star \star} = \mathbf{B}^{\star} \cdot \mathbf{b}_{\mathbf{0}}$$

#### M3D agrees with NOVA2 code



#### Excitation of Fishbone at high $\beta_h$



#### **Mode Structure: Ideal Kink v.s. Fishbone**





## As flattening region of distribution function increases, the mode frequency chirps down.



#### MHD nonlinearity changes mode structure significantly

#### Linear MHD

#### **Nonlinear MHD**



## M3D Nonlinear hybrid simulations of beam-driven modes in NSTX shows a bursting n=2 TAE as the mode moves out radially.



t=0.0

t=336

G.Y. Fu et al., IAEA Fusion Energy conference. 2004

#### Alpha Particle Stabilization of Internal Kink Mode for ITER: Internal Kink Mode Structure

 $\beta_{\alpha}=0.0$ 

$$\beta_{\alpha}=1.0\%$$



## Plasma shaping reduces alpha particle stabilization significantly



# The fishbone mode is calculated to be stable in ITER



### Thermal ion kinetic effects are stabilizing

- M3D can also treat thermal ions as particles
- For an ITER case, the internal kink mode growth rate is reduced by half due to thermal ion kinetic effects.

## n=3 TAE in ITER

## q(0)=1.4mode peaks at q=1.5



## Summary

- Comprehensive hybrid simulations have been carried out to investigate kinetic effects of alpha particles and thermal ions on internal kink and TAE.
- Elongation of ITER reduces the alpha particle stabilization of internal kink mode
- Thermal ion kinetic effects are strongly stabilizing for internal kink
- Fishbone is found to be stable in ITER.
- Initial results show an alpha-driven n=3 TAE in ITER.