

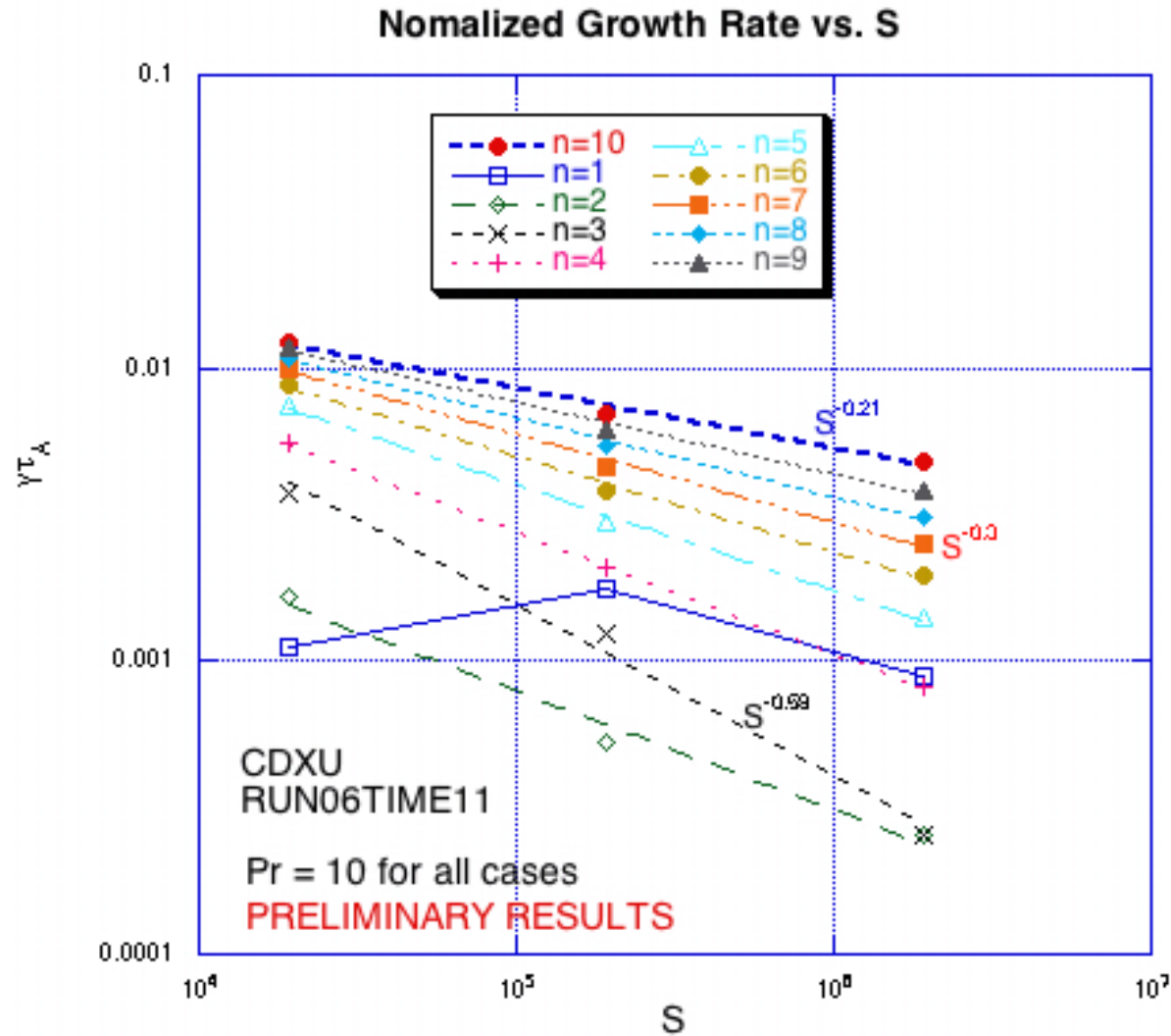
Resistive Ballooning Modes in CDX-U

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Resistive Ballooning Modes: physical or numerical?

- **Resistive ballooning modes tend to be present in finite beta resistive MHD numerical simulations – CDX-U**
- **Are they important in experiments?**
 - Edge turbulence
- **What physics stabilizes them?**
- **Complicating issue: simulations are usually much more resistive than simulations**
 - CDXU an exception, S is the same in exp. and simulations
- **Most theory done 20 years ago**

CDX-U simulations



RBM Electromagnetic (long wavelength) limit

- **Validity condition: $m = nq < 10$** $\gamma \gg \eta m^2 / r^2$
- **Dispersion relation in electromagnetic limit is like tearing mode (Chance, Drake, Glasser, Strauss...)** $\gamma = \gamma_t = (\eta m^2 / r^2)^{3/5} \Delta^{4/5} \tau_A^{-2/5}$
- **Interchange coupling is important at moderately high S** $\Delta = \Delta(\beta q^2 R / r)$
 - **Tokamaks: stabilizing**
 - If not too close to ideal instability boundary
 - **Stellarators: destabilizing**
- **2 fluid drifts**
 - **Validity condition** $\omega_* > \gamma_t$
 - **Stabilizing, growth rate negligible** $\omega(\omega - \omega_{*i})(\omega - \omega_{*e})^3 = \gamma_t^5$

RBM Electrostatic (short wavelength) limit

- **Validity: $m \gg 10$**
- **Carreras – Diamond, ...**
- **Can be stabilized by sound waves (Hender)**
 - Not valid for very large m
- **2 fluid**
 - Validity condition
 - Drift stabilizes modes
 - Growth rate proportional to resistivity, independent of m
 - If temperature gradient length is sufficiently shorter than density gradient length, modes are completely stable

$$\gamma \ll \eta m^2 / r^2$$

$$\gamma_{es} = (\eta m^2 / r^2)^{1/3} \Delta^{2/3} \tau_A^{-2/3}$$

$$\Delta = \beta q^2 R / r$$

$$\gamma \ll c_s / qR$$

$$\omega_* > \gamma_{es}$$

$$\omega(\omega - \omega_{*i})(\omega - \omega_{*e}) = \gamma_{es}^3$$

CDX-U electrostatic modes- can they be stabilized?

- Hall parameter $H = .15$,
beta $= .03$, $S = 10^4$, $q=3$
- Drift condition can't be satisfied, $m < 1000$, sensitive to H .
- Sound wave only stabilizing with large enhancement but not for all m .
- CDX-U RBM turbulent
- Perpendicular thermal conduction can help stabilize RBMs.

$$H = c / (\omega_{pi} R)$$

$$\omega_* \tau_A = m H \beta R^2 / r^2$$

$$\omega_* > \gamma_{es}$$

$$m H^3 \beta > S^{-1} (qr / R)^4$$

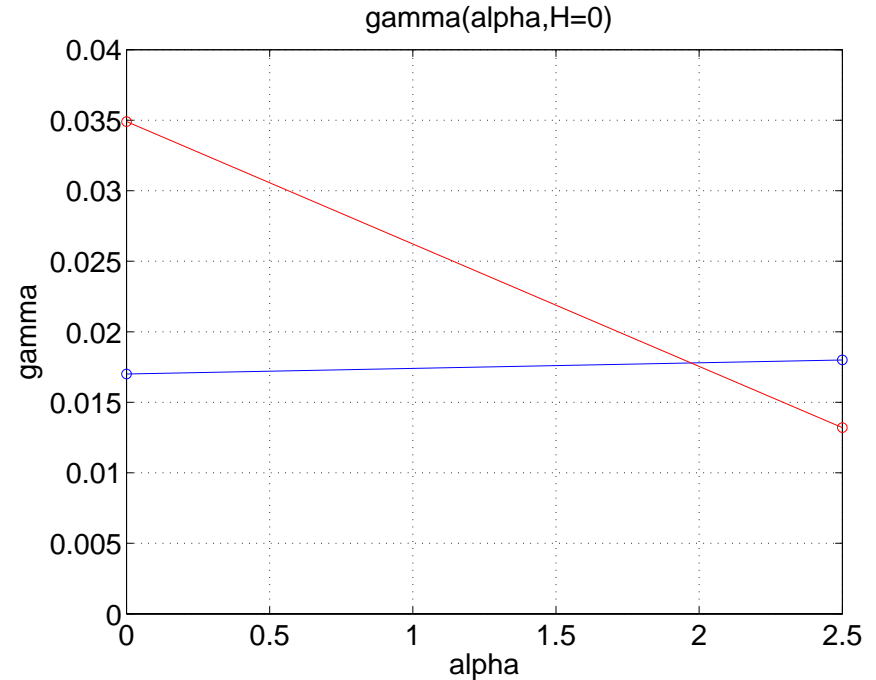
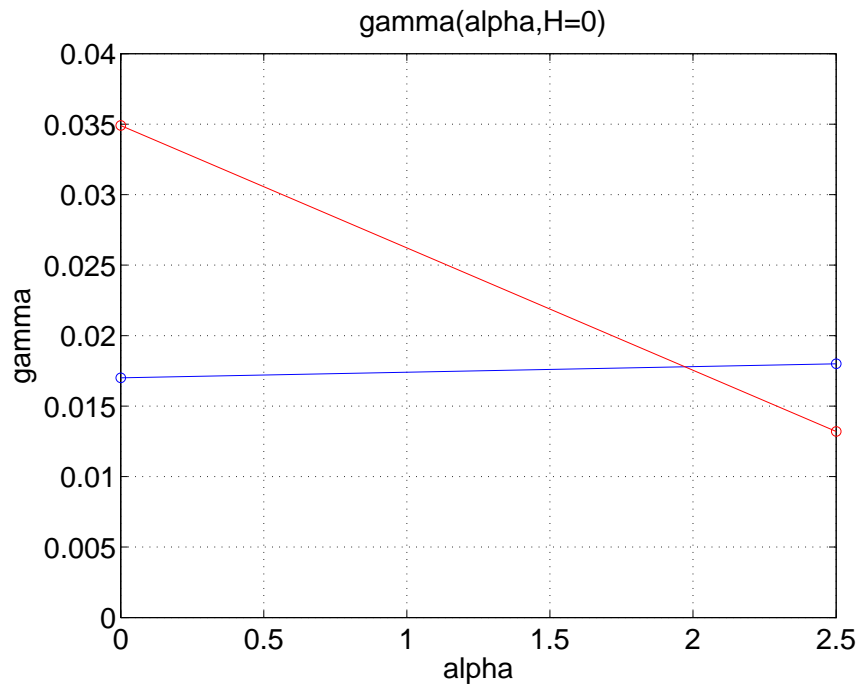
$$\alpha c_s / qR > \gamma_{es}$$

$$\alpha > S^{-1/3} m^{2/3} \beta^{1/6} q^{7/3}$$

2 Fluid and enhanced sound effects

$n=1, 4$

H has almost no effect



Sound speed has large enhancement

$$\alpha = 2.5 \frac{v_A}{c_s} \approx 25$$

Conclusions

- **Resistive MHD**
 - Long wavelength
 - stabilized by interchange coupling in tokamaks, for $S > 10^5$
 - Short wavelength
 - Stabilized by sound, for moderate m .
 - Large m is unstable
- **2 fluid drifts**
 - Validity condition is harder to satisfy in simulations than in experiments because S is smaller – except in CDX-U
 - Stabilizes or greatly slows down RBMs
- **CDX-U is RBM unstable, nonlinearly turbulent**
 - Can be stabilized with artificial H or sound speed or cross field thermal conduction.